

with wave vector difference  $Q$ , represent the electron and hole Fermi surfaces, and the Coulomb attraction between electrons and holes is described by a single parameter  $V$ . Mathematically the model is very similar to the BCS model for superconductivity, and so is the resulting expression for the transition (Néel) temperature, which reads:

$$k_B T_N = E_B \exp(-1/\lambda), \quad (3)$$

where  $E_B$  is of the order of the band width and  $\lambda = VN(0)$ ,  $N(0)$  being the density of states at the Fermi level.

From the experimental results mentioned in the introduction<sup>2,7</sup> it is clear, that the effect of pressure and that of reducing the electron/atom ratio by alloying on the Néel temperature of Cr are very similar. In view of the result (3), this is not surprising: in fact  $\alpha$  and  $\beta$  of eqs. (1) and (2) can be considered to be the first coefficients in a power-series expansion of  $\lambda^{-1}(n, p)$ .

Recently Rice *et al.*<sup>14</sup> devised a model, based on an assumption regarding the joint density of states function, which predicts the concentration and pressure dependence of  $T_N$ , eqs. (1) and (2), correctly. The joint density of states, a function of two energy variables,  $x$  and  $y$ , is defined as:

$$N_Q(x, y) = \sum_k \delta[x - \frac{1}{2}(\epsilon_k^e - \epsilon_{k+Q}^h)] \delta[y - \frac{1}{2}(\epsilon_k^e + \epsilon_{k+Q}^h)],$$

where  $\epsilon_k^{e(h)}$  is the single-particle energy in the electron (hole) band. If the two bands are identical,  $N_Q$  is almost independent of  $x$  and is proportional to  $\delta(y)$ . The model of Rice, Halperin, Barker and McWhan is defined by:

$$N_Q(x, y) = C_1 \phi_1(y) + C_2 \phi_2(y), \quad (4)$$

where  $\phi_1(y)$  is sharply peaked at  $y = 0$  and  $\phi_2(y)$  has appreciable values only for  $y > k_B T_N$ . It has been shown<sup>14</sup>, that if  $C_1$  and  $C_2$  vary linearly with the electron/atom ratio and pressure, eqs. (1) and (2), respectively, are obtained from (4).

The experimental results quoted above<sup>2,7</sup> can be considered to justify the model for  $N_Q$ , eq. (4). However, since the implications of the model regarding the band structure are not obvious, it is altogether not clear whether  $C_1$  and  $C_2$  are to be taken as constants plus linear combinations of  $n$  and  $p$ ,

$$C = C_0 + C_n n + C_p p, \quad (5)$$

or: a "cross term" proportional to  $np$  is also allowed. In terms of the expansion of  $\lambda^{-1}(n, p)$  in (3), the question reduces to that of the importance of the term:

$$\frac{\partial^2(\lambda^{-1})}{\partial n \partial p} \Delta n p. \quad (6)$$

In the measurements of Trego and Mackintosh<sup>2</sup>) and McWhan and Rice<sup>7</sup>), the quadratic terms proportional to  $\partial^2(\lambda^{-1})/\partial n^2$  and  $\partial^2(\lambda^{-1})/\partial p^2$ , respectively, were found to be negligible within the experimental error, but as in the experiments  $T_N$  was measured varying the electron concentration *or* the pressure, the importance of the cross term (6) cannot be ruled out by their evidence. It is only through the simultaneous variation of electron concentration *and* pressure that one can decide upon the importance of the term in eq. (6).

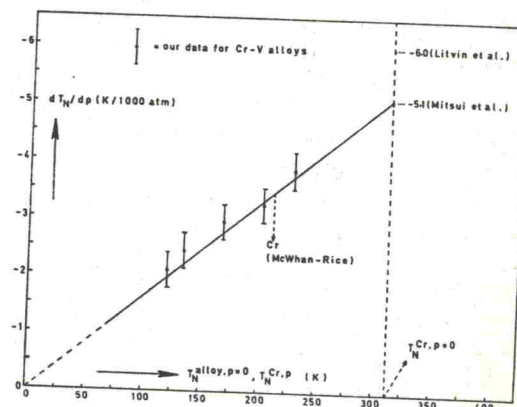


Fig. 5.  $dT_N/dp$  as a function of  $T_N$  (for Cr-V alloys in the limit  $p \rightarrow 0$ ). The solid line represents the measurements of McWhan and Rice on pure chromium.

In fig. 5 we have plotted the slopes  $(dT_N/dp)_{p \rightarrow 0}$ , given in table I, versus the transition temperature  $T_N$ . The linearity of  $(dT_N/dp)_{p \rightarrow 0}$  vs.  $T_N$  within the experimental error, together with the exponential dependence of  $T_N$  on concentration shown in fig. 3, proves that  $(dT_N/dp)_{p \rightarrow 0}$  varies exponentially with concentration. This is what one expects from previous measurements<sup>2,7</sup>): uniting (1) and (2) in the most straightforward way we have

$$T_N^{\text{alloy}, p} = T_N^{\text{Cr}, p=0} \exp[\alpha(n_{\text{alloy}} - n_{\text{Cr}}) + \beta p],$$

and hence

$$(dT_N^{\text{alloy}, p}/dp)_{p \rightarrow 0} = \beta T_N^{\text{Cr}, p=0} \exp[\alpha(n_{\text{alloy}} - n_{\text{Cr}})] = \beta T_N^{\text{alloy}, p=0}.$$

Note that inserting a cross term of type (6) in the exponent, or, equivalently, allowing for the concentration dependence of  $\beta$  would contradict our experimental results. The slope of the straight line fitted to the points in fig. 5 gives thus  $\beta$  for all concentrations including pure Cr. The small scatter of our points around the line representing the results of McWhan and Rice<sup>7</sup>),